

EYDEL'MAN, M.I.; LEMPERT, V.M.

Anticorrosion protection of molds made from aluminum alloys.  
Tekst. prom. 23 no. 7854-55 JI '63 (MIRA 16:8)

1. Nachal'nik proizvodstvenno-tehnicheskogo otdela Chernovitskogo chulochchnogo kombinata (for Eydel'man). 2. Starshiy inzhener proizvodstvenno-tehnicheskogo otdela Chernovitskogo chulochchnogo kombinata (for Lempert).  
(Textile machinery) (Aluminum-Corrosion)

EYDEL'MAN, M.M.

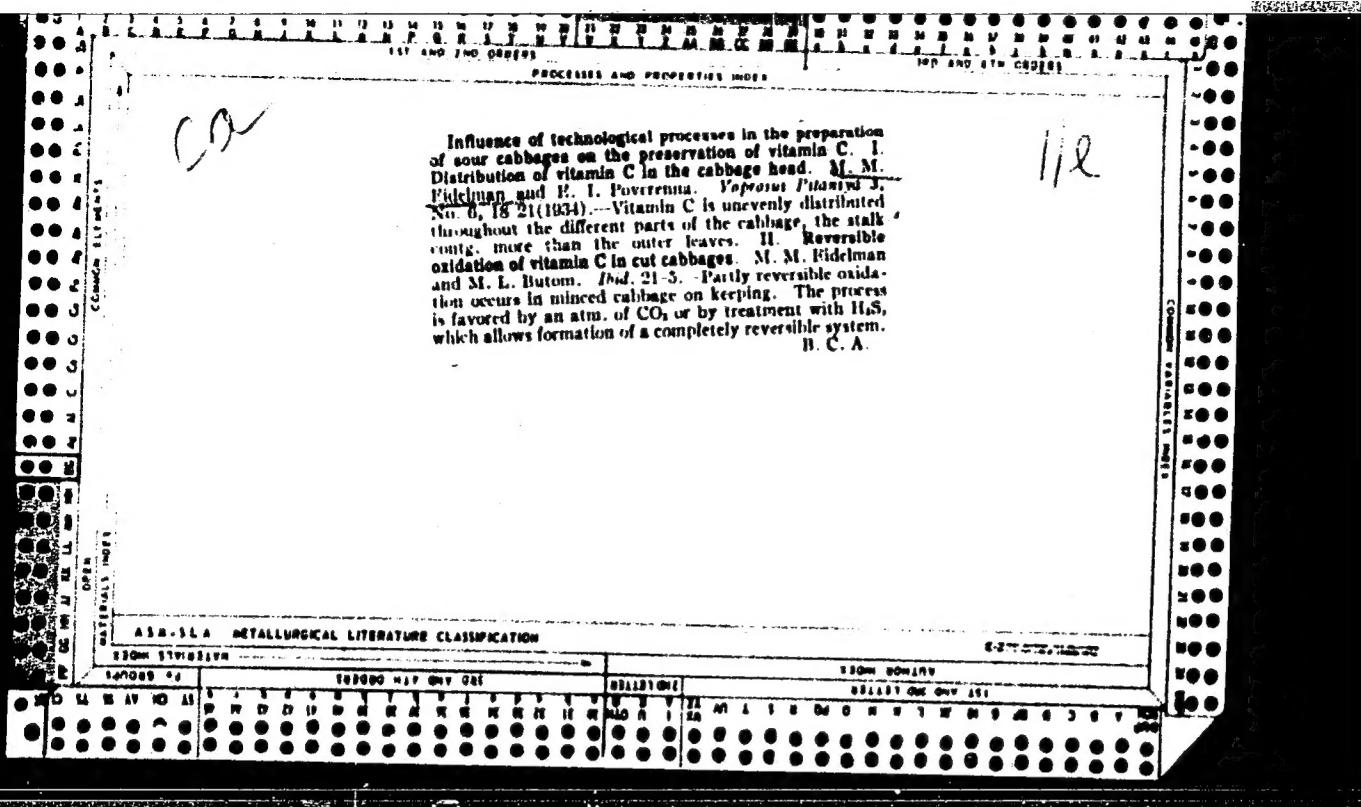
New exhibits at the "Machine Tools and Cutting Tools" section.  
Inform. biul. VDNKH no. 7:5-6 J1 '63. (MIRA 16:8)

1. Starshiy ekskursoved pavil'ona "Mashinostroyeniye" na  
Vystavke dostizheniy narodnogo khozaystva.

DOMINSKAYA, G. EYDEL'MAN, M.

Exhibitions of special items. Inform. blul. VDNKh no.10:11-13  
0 '64 (MIA 18:1)

1. Glavnnyy metodist po tekstil'noy promyshlennosti pavil'ona  
"Legkaya promyshlennost'" (for Dominskaya). 2. Starshiy eks-  
kurovod pavil'ona "Mashinostroyeniye" na Vystavke dostizhenij  
narechnogo khozyaystva SSSR (for Eydel'man).



BC

a-4

ANNUAL METALLURGICAL LITERATURE CLASSIFICATION

APPROVED FOR RELEASE: Thursday, July 27, 2000

**CIA-RDP86-00513R00041231C**

- Yeast as a means for the stabilization of ascorbic acid. M. M. Riegelman. *U.S. Patents* 6, No. 8, 33, 012 (in *International Patent Office*). When cabbage was heated in water contg. 0.10-1.12 g. bakers' yeast per mg. of ascorbic acid (I) a preservation of 60-100% (av. 75%) of I was observed while only 17-73% (av. 48%) of I was preserved when no yeast was used. Since yeast loses its stabilizing capacity upon heating, the effect of stabilization of I cannot be entirely due to glutathione, the amt. of which is not reduced on heating. Expts. with cabbage juice contg. dehydroascorbic acid showed that the stabilizing effect of yeast depends on its reducing action with respect to the reversibly oxidized form of vitamin C.

S. A. Karjala

A close-up photograph of a metal panel with two rows of circular holes. The top row is labeled '130M 11103110' and the bottom row '130M 11103111'. The panel is mounted on a dark surface with a metal bracket visible on the right.

The stability of dehydroascorbic acid to heat. M. M. Biederman. *J. Physiol.* (U. S. S. R.) 22, 1597-8 (in English 668) (1937).—The ascorbic acid (I) of decitrified and boiled lemon, orange and tangerine juices is transformed by the action of I, 2,6-dichlorophenolindophenol (II) or the hexoxide (III) of cabbage leaves into the reversibly oxidized form, which is destroyed considerably more rapidly under the influence of heat than is reduced I. The I<sub>2</sub> oxidation of tangerine juice, followed by heating for 10 min., resulted in a loss of all but 15% of the original quantity, while in the control it was preserved to 73%. After treatment with II 26%, and with III, 39% remained. All the I of cabbage, potatoes, carrots and apples exists in the reversibly oxidized form and after heating about 70% is irreversibly oxidized. Preliminary reduction of the juice results in the preservation of 64-92% of I after heating. The oxidation of plant juices by air in the presence of Cu, even after heating on a boiling water bath, results only in reversible oxidation. Technological processes causing a reversible oxidation of I lower its stability considerably. S. A. Karjalin

S. A. Karimiz

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## APPENDIX A METALLURGICAL LITERATURE CLASSIFICATION

א-ט-ב-ר-ב-ר-ב-ר

**APPROVED FOR RELEASE: Thursday, July 27, 2000**

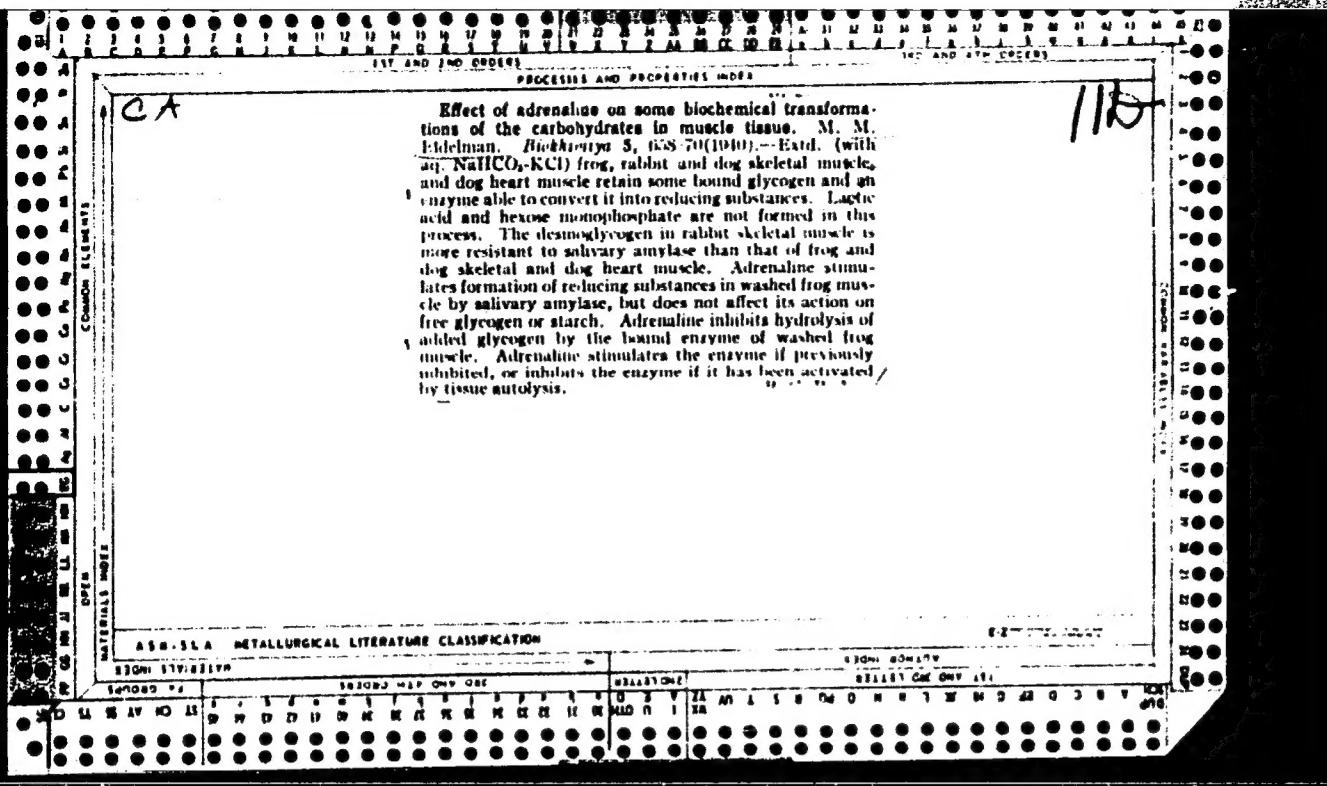
CIA-RDP86-00513R00041231C

**Stability of ascorbic acid in some acids.** M. M. Akhiezer, *maul. Naukem. J. (Ukraine)* 13, 715 (20 in Russian, 20-30% in English, 731-2) (1939); cf. *J. A. 32*, 60009, 01089.  $\text{HPO}_4^{2-}$  has the best stabilizing effect on the ascorbic acid (D) extd. from plant and animal tissues, but the pH of the protein is not complete; they cause excessive foaming with  $\text{CO}_2$  or  $\text{H}_2\text{S}$  and form stable adsorption products with the latter.  $\text{CCl}_4\text{CO}_2\text{H}$  oxidizes I. Best results were obtained with 2%  $\text{HPO}_4^{2-}$  and 4%  $\text{CCl}_4\text{CO}_2\text{H}$ . The stabilizing influence of other acids was investigated. With 0.01 mg. Cu per 100 cc. of 3-4% I, 0.16 N  $\text{H}_2\text{SO}_4$  is best. In the presence of  $\text{CCl}_4\text{CO}_2\text{H}$ , HCl is best. Cu retards the decompr. of I by  $\text{CCl}_4\text{CO}_2\text{H}$ . The protective influence of HCl is confirmed in extns. with tissues. The most stable I is in the brain, keeping for 4 hrs., while that of the liver keeps only 2 hrs. In the extn. of I it is possible to replace  $\text{HPO}_4^{2-}$  with 0.15 N HCl and 4%  $\text{CCl}_4\text{CO}_2\text{H}$  or to reduce the concn. of  $\text{HPO}_4^{2-}$  to only 0.002%, with 4%  $\text{CCl}_4\text{CO}_2\text{H}$ .

Boris Gutoff

ABSTRACTS OF METALLURGICAL LITERATURE CLASSIFICATION

APPROVED FOR RELEASE: Thursday, July 27, 2000 CIA-RDP86-00513R00041231(



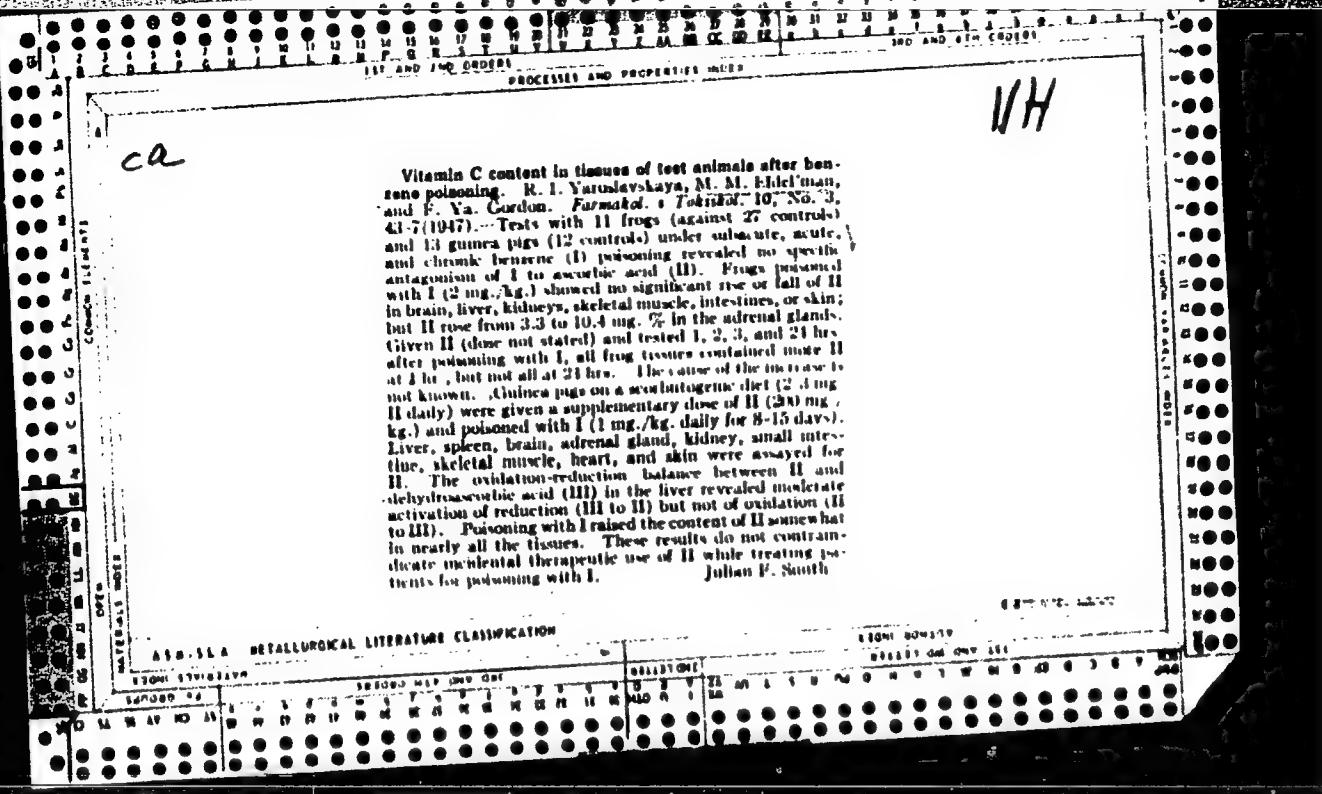
*Car**11E*

Stability of dehydroascorbic acid in certain acids. M. M. Kidel'mer. *Biochem. J. (Ukraine)* 10, 411-19 (in Russian); "29" in English, 421 (1940); cf. *C. A.* 34, 47719. Trichloroacetic acid (I) destroys 60-81% of synthetic dehydroascorbic acid (II), obtained by oxidation of ascorbic acid with I, in 24 hrs. at 17-20°; and 40-50% of the natural (III) in cabbage juice.  $HPO_4$  (IV) and HCl do not preserve II and III from the destructive action of I. IV alone preserves, 60-100%; HCl has the same action as I.  $H_2SO_4$  and citric acid destroy II and somewhat less III. The stability of II is greater in aq. soln. than in acid; the opposite is true of III. Uric acid, at pH 0.2 in phosphate buffer, preserves 30-80% of II, and 30-40% of III. The detg. factor is the type of acid and not the pH.

B. Gutoff

## ASH-SLA METALLURGICAL LITERATURE CLASSIFICATION

100047	100048	100049	100050	100051	100052	100053	100054	100055	100056	100057	100058	100059	100060	100061	100062	100063	100064	100065	100066	100067	100068	100069	100070	100071	100072	100073	100074	100075	100076	100077	100078	100079	100080	100081	100082	100083	100084	100085	100086	100087	100088	100089	100090	100091	100092	100093	100094	100095	100096	100097	100098	100099	1000100	1000101	1000102	1000103	1000104	1000105	1000106	1000107	1000108	1000109	1000110	1000111	1000112	1000113	1000114	1000115	1000116	1000117	1000118	1000119	1000120	1000121	1000122	1000123	1000124	1000125	1000126	1000127	1000128	1000129	1000130	1000131	1000132	1000133	1000134	1000135	1000136	1000137	1000138	1000139	1000140	1000141	1000142	1000143	1000144	1000145	1000146	1000147	1000148	1000149	1000150	1000151	1000152	1000153	1000154	1000155	1000156	1000157	1000158	1000159	1000160	1000161	1000162	1000163	1000164	1000165	1000166	1000167	1000168	1000169	1000170	1000171	1000172	1000173	1000174	1000175	1000176	1000177	1000178	1000179	1000180	1000181	1000182	1000183	1000184	1000185	1000186	1000187	1000188	1000189	1000190	1000191	1000192	1000193	1000194	1000195	1000196	1000197	1000198	1000199	1000200	1000201	1000202	1000203	1000204	1000205	1000206	1000207	1000208	1000209	1000210	1000211	1000212	1000213	1000214	1000215	1000216	1000217	1000218	1000219	1000220	1000221	1000222	1000223	1000224	1000225	1000226	1000227	1000228	1000229	1000230	1000231	1000232	1000233	1000234	1000235	1000236	1000237	1000238	1000239	1000240	1000241	1000242	1000243	1000244	1000245	1000246	1000247	1000248	1000249	1000250	1000251	1000252	1000253	1000254	1000255	1000256	1000257	1000258	1000259	1000260	1000261	1000262	1000263	1000264	1000265	1000266	1000267	1000268	1000269	1000270	1000271	1000272	1000273	1000274	1000275	1000276	1000277	1000278	1000279	1000280	1000281	1000282	1000283	1000284	1000285	1000286	1000287	1000288	1000289	1000290	1000291	1000292	1000293	1000294	1000295	1000296	1000297	1000298	1000299	1000300	1000301	1000302	1000303	1000304	1000305	1000306	1000307	1000308	1000309	1000310	1000311	1000312	1000313	1000314	1000315	1000316	1000317	1000318	1000319	1000320	1000321	1000322	1000323	1000324	1000325	1000326	1000327	1000328	1000329	1000330	1000331	1000332	1000333	1000334	1000335	1000336	1000337	1000338	1000339	1000340	1000341	1000342	1000343	1000344	1000345	1000346	1000347	1000348	1000349	1000350	1000351	1000352	1000353	1000354	1000355	1000356	1000357	1000358	1000359	1000360	1000361	1000362	1000363	1000364	1000365	1000366	1000367	1000368	1000369	1000370	1000371	1000372	1000373	1000374	1000375	1000376	1000377	1000378	1000379	1000380	1000381	1000382	1000383	1000384	1000385	1000386	1000387	1000388	1000389	1000390	1000391	1000392	1000393	1000394	1000395	1000396	1000397	1000398	1000399	1000400	1000401	1000402	1000403	1000404	1000405	1000406	1000407	1000408	1000409	1000410	1000411	1000412	1000413	1000414	1000415	1000416	1000417	1000418	1000419	1000420	1000421	1000422	1000423	1000424	1000425	1000426	1000427	1000428	1000429	1000430	1000431	1000432	1000433	1000434	1000435	1000436	1000437	1000438	1000439	1000440	1000441	1000442	1000443	1000444	1000445	1000446	1000447	1000448	1000449	1000450	1000451	1000452	1000453	1000454	1000455	1000456	1000457	1000458	1000459	1000460	1000461	1000462	1000463	1000464	1000465	1000466	1000467	1000468	1000469	1000470	1000471	1000472	1000473	1000474	1000475	1000476	1000477	1000478	1000479	1000480	1000481	1000482	1000483	1000484	1000485	1000486	1000487	1000488	1000489	1000490	1000491	1000492	1000493	1000494	1000495	1000496	1000497	1000498	1000499	1000500	1000501	1000502	1000503	1000504	1000505	1000506	1000507	1000508	1000509	1000510	1000511	1000512	1000513	1000514	1000515	1000516	1000517	1000518	1000519	1000520	1000521	1000522	1000523	1000524	1000525	1000526	1000527	1000528	1000529	1000530	1000531	1000532	1000533	1000534	1000535	1000536	1000537	1000538	1000539	1000540	1000541	1000542	1000543	1000544	1000545	1000546	1000547	1000548	1000549	1000550	1000551	1000552	1000553	1000554	1000555	1000556	1000557	1000558	1000559	1000560	1000561	1000562	1000563	1000564	1000565	1000566	1000567	1000568	1000569	1000570	1000571	1000572	1000573	1000574	1000575	1000576	1000577	1000578	1000579	1000580	1000581	1000582	1000583	1000584	1000585	1000586	1000587	1000588	1000589	1000590	1000591	1000592	1000593	1000594	1000595	1000596	1000597	1000598	1000599	1000600	1000601	1000602	1000603	1000604	1000605	1000606	1000607	1000608	1000609	1000610	1000611	1000612	1000613	1000614	1000615	1000616	1000617	1000618	1000619	1000620	1000621	1000622	1000623	1000624	1000625	1000626	1000627	1000628	1000629	1000630	1000631	1000632	1000633	1000634	1000635	1000636	1000637	1000638	1000639	1000640	1000641	1000642	1000643	1000644	1000645	1000646	1000647	1000648	1000649	1000650	1000651	1000652	1000653	1000654	1000655	1000656	1000657	1000658	1000659	1000660	1000661	1000662	1000663	1000664	1000665	1000666	1000667	1000668	1000669	1000670	1000671	1000672	1000673	1000674	1000675	1000676	1000677	10006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CA

**Bound ascorbic acid in blood** M. M. Goldfarb and  
B. V. Gordon, *Blackwells* 14, 58 (1959). The  
bound ascorbic acid (I) in the blood is titrated along with  
the protein on the addition of  $(\text{NH}_4)_2\text{SO}_4$ . The I is liber-  
ated from the bound form by subjecting the blood to  
autolysis at 37° for 30 (1) min. The method of Denby  
and Munduk (C. I. 36, 70429) which consists of treating  
the blood with  $\text{CO}_2$  followed by  $\text{pH} 7$ , which consists of treating  
both free and bound I. A rough measure of the bound I  
is obtained by subtracting from this value the amount of I  
found after salting out with  $(\text{NH}_4)_2\text{SO}_4$ . The amount of I  
soluble portion of I added to blood *in vitro* becomes im-  
mediately bound. Addition of adrenalin to blood liberates  
the bound I. H. Fawcett

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Brochner-Lab., Wkr. Inst Experimental Endocrinology, Kharkov

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EYDEL'MAN, M.M.

CSR

Absorption of ascorbic acid by the blood as an index of the degree of its sulfation with vitamin C in man. M. M. Eydelman (Ukrain. Inst. Endocrinol., Kharkov). *Vitam. Pih. Biokhim. Zhur.* 26, 310-22 (1954). In the protein of whole blood with  $(\text{NH}_4)_2\text{SO}_4$  no splitting off of the globulins occurs and ascorbic acid can be estd. By making *in vitro* tests, for ascorbic acid before and after its per or administration, information can be secured regarding the degree of its sulfation in the blood *in vivo*. Hypovitaminosis can thus be detected by analyzing the blood, plasma, and urine in cases of obliterating endarteritis and occult infectious processes which remain undetectable by any of the heretofore employed analytical procedures. Sulf. of the blood with ascorbic acid is accompanied by changes in the content of adrenaline and adrenaline-like substances. In low blood levels of these substances this may not hold in normal humans in such diseases as hypertension, thyrotoxicosis and the like. As therapy progresses favorably, such blood level relations return to normal. B. S. Levine

FRUMIN, Z., doktor meditsinskikh nauk (Moskva); BYDEL'MAN, M., kandidat biologicheskikh nauk (Khar'kov).

A new textbook ("The physiology of nutrition." A.M.Breitburg. Reviewed by Z.Frumin and M.Bidel'man). Sov.torg. no.10:40-41 0 '56. (MLRA 9:12)

(Nutrition) (Breitburg, A.M.)

EYDELMAN, M.M.

A simple test to demonstrate some peculiarities of ascorbic acid excretion in various diseases. M. M. Eydeman (Ukrain. Inst. Exptl. Endocrinol., Kharkov). Laboratorne Delo 11, No. 3, 7-8 (1950).—The method is a simplification of Widenbauer's leading technique. The urine is collected in the morning following the ingestion of vitamin C the previous evening. The urine is collected in a jar contg. a few drops of concd. HCl. The vitamin C is detd. by titrating 0.1-0.05 cc. of 0.001N 2,6-dichloroindophenol with the urine. If the indicator is decolorized by 1-2 drops of urine the latter is diluted until no more than 0.2-0.4 cc. is required for titration. If the urine contains very little vitamin C, a 5-times diln. is sufficient. Preliminary treatment of the urine specimen with Pb acetate or other reagents tending to render the test more specific are not necessary since the diagnostic value is due to the difference between the quantity of vitamin C present before and after ingestion.

A. S. Mirkin

SYNTHETIC VITAMIN C

Changes in the ability of the blood colloids to take up  
ascorbic acid in man and guinea pigs

Plutnicki (1951) measured the rate of disappearance of  
(I) disappearance after adding to blood followed by protein  
with  $(NH_4)_2SO_4$  was used as an index of the adsorptive  
power of blood colloids for I. In guinea pigs the adsorptive  
power of blood colloids for I increased during hypovitaminosis C.  
B. Wielicki

EYDEL'MAN, M.M. (Kharkov)

Effect of certain regulatory factors on indicators of adrenalin and ascorbic acid metabolism. [with summary in English]. Probl. endok. i gorm. 4 no.1:29-45 Ja-F'58 (MIRA 11:5)

1. Iz otdela biokhimii (zav. - chlen-korrespondent AN USSR prof. A.M. Utevskiy) Ukrainskogo instituta eksperimental'noy endocrinologii (dir. - kand.med.nauk S.V. Maksimov)

(VITAMIN C, metabolism)

adrenal cortex, eff. of factors influencing adrenal growth (Rus))

(ADRENAL CORTEX, metabolism

vitamin C, eff. of factors influencing adrenal growth (Rus))

EPINEPHRINE, metabolism,

eff. of factors influencing adrenal growth (Rus))

*On*  
EYDEL'MAN, M.M., Doc Biol Sci -- (diss) "Concerning the interaction  
*between*  
of adrenalin and ascorbic acid in certain physiological and  
pathological states of the animal organism." Khar'kov, 1959,  
26 pp (Khar'kov Vet Inst) 300 copies (KL, 36-59, 113)

- 27 -

EYDEL'MAN, M.M.

Study of the regulation of ascorbic acid metabolism. Vitaminy  
no. 4:53-59 '59. (MIRA 12:9)

1. Otdel biokhimii Ukrainskogo instituta eksperimental'noy  
endokrinologii, Khar'kov.  
(ASCORBIC ACID)

UTEVSKIY, A.M.; BARTS, M.P.; BUTOM, M.L.; GAYSINSKAYA, M.Yu.; OSINSKAYA, V.O.;  
TSUKERNIK, A.V.; EYDEL'MAN, M.M.

Research on neural regulation of the metabolism of adrenaline and  
adrenalinelike substances. Sbor. nauch. trud. Ukr. nauch.-issl.  
inst. eksper. endok. 15:62-72 '59. (MIRA 14:11)  
(ADRENALINE IN THE BODY) (NERVOUS SYSTEM)

SYDELMAN, M. M. (USSR).

Bound Ascorbic Acid in the Blood.

report presented at the 5th Int'l.  
Biochemistry Congress, Moscow, 10-16 Aug. 1961

TURUBINER, N.M.; EIDEL'MAN, M.M.

Some biochemical indicators of receptive influences of the adrenal glands. Probl. endok. i gorm. 7 no.2:6-13 '61. (MIRA 14:5)  
(ADRENAL GLANDS) (ADRENALINE) (ASCORBIC ACID)

*EYDEL'MAN M* F

Country	: USSR
Category	: Microbiology-Microbes Pathogenic for Man and Animal
Abs. Jour	: Ref. serv. - Med. zhurn., 1971, v. 152
Autho.	: <u>Eydel'man, M.R.</u> ; Grinberg, G.I.
Institut.	
Title	: Evaluation of the Role of the Carrier State in the Growth of the Epidemic Process in Dysentery
Orig. Pub.	: Vrachebn. zhurn., 1971, v. 7, 702-712
Abstract	: In systematic studies (of 143,489 persons), "healthy" carriers of dysentery bacilli among adults comprised 0.7% of cases, 0.58% among children, which exceeded by 21 times the percentage of the carriers of typhoid-paratyphoid bacilli. Among those having recovered from dysentery, the carrier state was detected in 2.3%, nor among those in contact with the patients, in 2.6% of cases. The relationship among the species of dysentery bacilli in the carriers did not differ from that seen in patients with the disease. - A.N.Shabueva
Card:	1/1

*Clinic infectious diseases, Odessa Med. Inst.  
and Uroonikol'sk Rayon*

EYDEL'MAN, M.R., kand.ekon.nauk, red.; USTIYANTS, V.A., red.; KAPRALOVA, A.A., tekhn.red.

[Manual on the divisions of statistics; statistics of population; health; culture; housing and communal economy; budgets of workers, employees and collective farmers; commerce; state purchases; capital construction; automotive transportation; accounting in village soviets] Uchebnoe posobie po otdel'nym otrasmiam statistiki; statistika naseleniya, zdravookhraneniia, kul'tury, zhilishchnogo i komunal'nogo khoziaistva, bludzhetov rabochikh, sluzhashchikh i kolkhoznikov, torgovli, zagotovok, kapital'nogo stroitel'stva, avtotransporta i pokhziaistvennyi uchet v sel'sovetakh. Moskva, Gos.stat.izd-vo, 1958. 406 p. (MIRA 11:5)  
(Statistics)

EYDEL'MAN, M. R.; GRINFEL'D, A. A.; NIKOLAYEVA, V. L.; MAKAROCHKINA, V. I.;  
SOTNICHINKO, L. A.

"Data on the healthy carrier of dysentery."

Report submitted at the 13th All-Union Congress of Hygienists,  
Epidemiologists and Infectionists. 1959

PETROV, A.I., prof.; LESHCHINSKIY, M.I., kand. ekon. nauk; MAKSIMOVA, V.N.,  
dotsent; MALIY, I.G., dotsent; MOSKVIN, P.M., dotsent; TITEL'BAUM,  
N.P., dotsent; URINSON, M.S., dotsent; KIDEL'MAN, M.R., kand. ekon.  
nauk; GUREVICH, S.M., red.; GRYAZNOV, V.I., red.; PYATAKOVA, N.D.,  
tekhn. red.

[Course in economic statistics] Kurs ekonomicheskoi statistiki. Izd.3.,  
dop. i perer. Moskva, Gosstatizdat TsSU SSSR, 1961. 507 p.  
(MIRA 14:6)

(Statistics)

LOKSHIN, E.Yu., doktor ekon. nauk, prof.; ANDREYEVA, O.I., kand. ekon. nauk; VOROSHILOVA, T.S., kand. ekon. nauk, dots.; TARAS'YANTS, R.B., kand. ekon. nauk, dots.; FASOLYAK, N.D., kand. ekon. nauk, dots.; EYDELMAN, M.R., kand. ekon. nauk; YAKOBI, A.A., kand. ekon. nauk, dots.; TYAGAY, Ye., red.; MUKHIN, Yu., tekhn. red.

[Economics of the supply of materials and equipment] Ekonomika material'no-tehnicheskogo snabzheniya; uchebnoe posobie. 2., perer. i dop. izd. Moskva, Gospolizdat, 1953. 510 p. (Industrial procurement) (MIRA 16:7)

FREYMUNDT, Ye.N., dots.; KORENEVSKAYA, N.N., dots.; IL'CHENKO, S.P.; SAMOYLOVA, A.A., dots.; GUROV, G.M., dots.; IVANOV, Yu.M.; ZAYTSEVA, N.V., dots.; EYDEL'MAN, M.R., red.; KONIKOV, L.A., red.; PONOMAREVA, A.A., tekhn. red.

[Balance of the gross national product of a Union Republic;  
problems in the theory and methodology of its preparation]  
Balans obshchestvennogo produkta soiuznoi republiki; vop-  
rosy teorii i metodiki sostavleniya. Moskva, Ekonomizdat,  
1962. 326 p. (MIRA 16:4)

1. Moscow. Ekonomiko-statisticheskiy institut.  
(Gross national product)

EYDEL'MAN, M. R.

Statistika material'nogo snabzheniya [Statistics on the supply of materials].  
Gosstatizdat, 1953, 224 p.

SO: Monthly List of Russian Accessions, Vol. 7 No. 1 April 1954.

EDC/PHN, M

2-1-4/9

AUTHOR: Eydel'man, M.

TITLE: On the Computation of the Social Product and National Income in the Union Republics (Ob ischislenii obshchestvennogo produkta i natsional'nogo dokhoda v soyuznykh respublikakh)

PERIODICAL: Vestnik Statistiki, 1958, # 1, p 43-55 (USSR)

ABSTRACT: The article shows how to obtain the indices enabling the statistician to compute the level, structure and production rates of the social product and national income, showing the economical development of every country. It is impossible to project any planning in a socialist economy without analyzing very carefully these indices.

The computation and analysis of these indices are particularly important during the present phase of the USSR economical development. The extended rights of the Union Republics, the changed structure of industrial and construction administration and the establishment of the sovnarkhozes demand a higher quality of economical work in the Union Republics and within the district economical administrations.

The methodology of computing the volume of the social product and national income within the Union Republics and the computation of total indices with respect to the whole country,

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On the Computation of the Social Product and National Income in the Union  
Republics

originate from the supposition that the social product and national income are formed by the different branches of material production, such as: industry, construction, agriculture, forestry, freight transport, communication enterprises, trade, public alimentation, material technical supplies, etc.

The author presents four tables showing how to compute some production figures:

1. The sequence of computational operations of the total volume of material expenses and the production expenses.

2. A general scheme of converting the material expenses into a joint cost.

3. A computation table showing how to obtain the net value of production from the material gross value of production expenditures.

4. A table for recalculation of costs into prices of 1956.  
There are 4 tables.

AVAILABLE: Library of Congress

Card 2/2

AUTHOR:

Eydel'man, M.

3CV-2-58-8-6/12

TITLE:

From the History of the National Economy Balance Sheet  
of the USSR (Iz istorii balansa narodnogo khozyaystva  
SSSR)

PERIODICAL:

Vestnik statistiki, 1958, Nr 8, pp 43 - 58 (USSR)

ABSTRACT:

The necessity for compiling a balance sheet of the USSR national economy arises from the planning character of the socialistic society and the law of regular, proportional development of national economy inherent in socialism. The balance of accounts is a system of tables and indices giving an extensive characteristic of socialist reproduction on an enlarged scale. The balance is composed for one year and shows how, during the accounting period, the processes of production, distribution, consumption and accumulation were carried out. It also shows how the correlations and proportions between the individual branches and forms of property were brought about, how the national income was distributed for consumption and accumulation purposes, and how the processes of distribution and redistribution of the social product and national income and

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From the History of the National Economy Balance Sheet of the USSR

SOV-2-58-8-6/12

the forming of enterprise profits occurred. The author reviews the balance sheets for 1923, 1928, 1929 and 1930. He then shows how the work on the balance sheets has developed. The article contains a scheme of 14 different sections of the balance sheet. A standard specimen of one of the most important tables (the balance sheet of production, consumption and accumulation of the social product) is also given. An important condition for a good balance sheet is the scientifically developed classification of the branches of national economy and the establishment of exact limits between the productional and non-productional regions. These classifications have been steadily perfected. The author deals with the study of the balance sheet's basic indices, the working out of methods to

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SOV-2-58-8-6/12

From the History of the National Economy Balance Sheet of the USSR

ascertain the share of the individual branches of production in creating the social product and national income. He emphasizes that the computation of labor expenditure necessary for production was a complicated task, and outlines the participation of the statistical administrations of individual Soviet republics in compiling the balance sheet. In June 1957, a conference of statisticians discussed the question of methodology in compiling the national economy's balance sheet, and worked out a new scheme of basic tables which replaced the former ones of 1950. There are 2 tables and 1 Soviet reference.

Card 3/3

SOV/2-59-1-5/10

AUTHOR: Eydel'man, M.

TITLE: The Steady Rise in the Prosperity of the  
Soviet People(Neuklonnyy rost blagosostoya-  
niya sovetskogo naroda)

PERIODICAL: Vestnik statistiki, 1959, Nr 1, p 33 - 48  
(USSR)

ABSTRACT: The author lists the advantages of the social-  
ist type of production for raising the  
living standard of the population. He refers  
to the theses of N.S. Khrushchëv's report to  
the 21st KPSS Congress, setting forth a pro-  
gram for a further fast and all-round rise  
in the living standard during 1959 to 1965.  
The article contains basic indices on the  
material welfare of the Soviet people during  
the forthcoming 7 years covering the national  
income, number of workmen and employees, in-  
dustrial production of consumer goods, real  
wages of workmen and employees, etc. The

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SOV/2-59-1-5/10

The Steady Rise in the Prosperity of the Soviet People

author examines in detail these basic indices pointing out that in 1958, the national per capita income in the USSR, has increased 15 times as compared with 1913. During the forthcoming 7 years, the national income of the USSR must rise by 62 - 65%. The volume of consumption will increase by 60 to 63%. In 1965, the national income will exceed that of 1913 by 35 to 36 times. A table shows the rate of growth of the USSR national income from 1913 to 1958 as compared with the chief capitalist countries. The article also contains data on the increase in the real wages of workmen and employees, and the real income of farmers. It is pointed out that the regulating of wages of the low and medium paid workmen and employees, which started in recent years, will be continued during the next 7 years. It

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The Steady Rise in the Prosperity of the Soviet People

is planned to increase the wages of the low-paid workmen and employees from 270 - 350 to 500 - 600 rubles per month. The material welfare of the kolkhoz workers and the pension plans are also discussed. In 1966, it is intended to raise the minimum pensions in the cities to 450 - 500 rubles per month. The social insurance fund is composed of contributions from enterprises, administrations and organizations without any deductions from wages. The author deals with state social insurance in case of illness and pregnancy, and with the question of free medical service as important factors of the living standard of the population. One chapter is devoted to the increase in consumption of the most important food products, while the next one deals with the increase in production of articles of the food and light industry by 1965. A table shows the comparative per

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SOV/2-59-1-5/10

The Steady Rise in the Prosperity of the Soviet People

capita figures in the production of milk, butter and meat in the USA and USSR for 1958, the total output of the USSR, the output required to catch up with the USA and the total production in 1965. Some considerations are given to the problem of improving housing conditions. Towards the end of the 7-year plan, housing construction will have increased 1.6 times. Beginning with 1964, a gradual transfer of all workmen and employees to a 30 to 35 hour week is intended. The concluding chapter deals with the rise in the cultural level of the Soviet people. The number of students in schools of general education will increase in 1965 to 38 - 40 million in 1958. Four million other students will be trained in secondary special schools. The total number of specialists with higher education turned out from 1959 to 1965 will

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SOV/2-59-1-5/10

The Steady Rise in the Prosperity of the Soviet People

be 2.3 million against 1.7 million persons from 1952 to 1958. The reorganization of the school system will tend towards a closer contact between training and practical work, and the turning out of fully-educated people. The 7-year plan will establish conditions for a still faster development of all branches of science. There are 6 tables.

Card 5/5

NOVIKOV, V.S., prof., otv.red.; FREYMUNDT, Ye.N., dotsent, zam.otv.red.; RYABUSHKIN, T.V., prof., red.; EYDEL'MAN, M.R., kand.ekon.nauk, red.; MALYY, I.G., dotsent, red.; VASHENTSOVA, V.M., dotsent, red.; ZAITSEVA, N.V., kand.ekon.nauk; SHENTSIS, Ye.M., red.; KAPRALOVA, A.A., tekhn.red.

[Problems in the balance of the economy of a Union Republic; concise stenographic record of an academic conference, January 25-27, 1960] Problemy balansa narodnogo khozisistva soiuznoi respubliki; sokrashchennaya stenogramma nauchnoi konferentsii 25-27 ianvaria 1960 g. Moskva, Gosstatizdat, TsSU SSSR, 1960. (MIRA 14:3) 118 p.

1. Moscow. Ekonomiko-statisticheskiy institut. 2. Moskovskiy ekonomiko-statisticheskiy institut (for Novikov, Freymundt).
3. Institut ekonomiki Akademii nauk SSSR (for Ryabushkin).
4. TSentral'noye statisticheskoye upravleniye SSSR (for Eydel'man).
5. Moskovskiy gosudarstvennyy ekonomicheskiy institut (for Malyy). (Russia--Economic policy) (Russia--Statistics)

LOKSHIN, E.Yu., prof., doktor ekon.nauk; ANDREYeva, O.I., kand.ekon.nauk;  
VOROSHILOVA, T.S., dotsent, kand.ekon.nauk; TARAS'YANTS, dotsent,  
kand.ekon.nauk; FASOLYAK, N.D., dotsent, kand.ekon.nauk; SYDEL'MAN,  
M.R., kand.ekon.nauk; YAKOBI, A.A., dotsent, kand.ekon.nauk;  
PISKUNOV, V., red.; MUKHIN, Yu., tekhn.red.

[Economics of the supply of materials and equipment; a textbook]  
Ekonomika material'no-tehnicheskogo snabzheniya; uchebnoe posobie.  
Moskva, Gos.izd-vo polit.lit-ry, 1960. 510 p.

(MIRA 13:11)

(Industrial procurement)

1. EYDEL'MAN, M. YA.
2. USSR (600)
4. Latvia - Fur Farming
7. Development of collective farm fur farming in the Latvian S.S.R. Kar i zver No. 6 1952.
9. Monthly List of Russian Accessions, Library of Congress, April 1953, Uncl.

AZERNIKOV, V.; ARLAZOROV, M.; ARSKIY, F.; BAKANOV, S.; BELOUSOV, I.;  
BILENKO, D.; VATEL', I.; VLADIMIROV, L.; GUSHCHEV, S.;  
YELAGIN, V.; YERESHKO, F.; ZHURBINA, S.; KAZARNOVSKAYA, G.;  
KALININ, Yu.; KELER, V.; KONOVALOV, B.; KREYNDLIN, Yu.;  
LEBEDEV, L.; PODGORODNIKOV, M.; RABINOVICH, I.; REPIN, L.;  
SMOLYAN, G.; TITARENKO, V.; TOPILINA, T.; FEDCHENKO, V.;  
EYDEL'MAN, N.; EME, A.; NAUMOV, F.; YAKOVLEV, N.;  
MIKHAYLOV, K., nauchn. red.; LIVANOV, A., red.

[Little stories about the great cosmos] Malen'kie rasskazy o  
bol'shom Kosmose. Izd.2., Moskva, Molodaia gvardiia, 1964.  
(MIRA 18:4)  
368 p.

YDEL'MAN, R.

Increase in labor productivity and the effort to reduce working  
time losses. Sots. trud 6 no.8:76-84 Ag '61. (MIRA 14:8)  
(Time study) (Labor productivity)

D'YACHENKO, V.G.; MAKSIMOV, A.L.; MOSKALENKO, V.K.; SHKURKO, S.I.

LEYDELMAN, R.

The transition of industrial enterprises to a shorter workday  
in the first five-year plan. Vop.truda no.1:8-66 '58.

(MIRA 12:8)

(Hours of labor)

LAZUTKIN, Ye.S.; RUSANOV, Ye.S.; EYDEL'MAN, R.A.; TRUBNIKOV, S.V.; KAPLAN, I.I.; ZAGORODNIKOV, M.I.; GOL'TSOV, A.N.; TATARINOVA, N.I.; SONIN, M.Ya.; SHISHKIN, N.I., doktor geogr.nauk; ANTOSENKO, Ye.G.; ZHMYKHOVA, I.I.; KOSYAKOV, P.O.; MATROZOVA, I.I.; ZELEN'SKIY, G.N.; SEMENKOV, Ya.S.; ZALKIND, A.I., red.; RUSANOV, Ye.S., red.; SHTEYNER, A.V., red.; MIKHAILOV, N.Z., red.; GERASIMOVA, Ye.S., tekhn. red.

[Manpower of the U.S.S.R.; problems in distribution and utilization]  
Trudovye resursy SSSR; problemy raspredeleniya i ispol'zovaniia. Pod red. N.I. Shishkina. Moskva, Izd-vo ekon.lit-ry, 1961. 243 p. (MIRA 14:12)

Moscow. Nauchno-issledovatel'skiy institut.  
(Manpower)

MAMOLAT, A.S.; DVOYRIN, M.S.; ZAMDBORG, L.Ya.; KOVOROTNAYA, N.F.;  
EYDEL'MAN, R.I.

Results of the administration of double BCG doses in newborn  
infants; preliminary communication. Probl.tub. 39 no.3:16-22  
'61. (MIRA 14:5)

1. Iz orgmetotdela (zav. - prof. S.G. Kagan) Ukrainskogo nauchno-  
issledovatel'skogo instituta tuberkuleza (dir. - dotsent A.S.  
Mamolat) i Chernigovskogo oblastnogo protivotuberkuleznogo  
dispansera (glavnyy vrach L.Ya. Zamdborg).  
(BCG VACCINATION) (INFANTS (NEWBORN))

AKOL'ZIN, P.N.; ARAKEL'YANTS, N.M.; BUYANOVA, O.A.; KIRNOSOV, V.I.;  
KISELEVSKIY, S.L.; TARAPIN, V.N.; SHCHEDROVSKIY, S.S.;  
EYDEL'MAN, R.Ya.

Unified series of strain gauges for the automation of construction and road machinery. Priborostroenie no.8:11-12  
Ag '62. (MIRA 15:9)  
(Strain gauges)

Khishchenko, V. V.

"Evaluations of the Solutions of Parabolic Systems and Several Applications." Cand  
Phys-Math Sci, Lvov State U, Lvov, 1953. Dissertation (referativnyj Zhurnal--  
Matematika Moscow, Feb 54)

S.: SU:186, 19 Aug 1954

"APPROVED FOR RELEASE: Thursday, July 27, 2000

CIA-RDP86-00513R00041231

YEDEL'MAN, S.D. (Chernovtsev).

Solution estimates for parabolic systems, and some of their applications.  
(MIRA 6:9)  
Mat. sbor. 33 no. 2:359-382 S-0 '53.  
(Matrixes) (Differential equations)

APPROVED FOR RELEASE: Thursday, July 27, 2000

CIA-RDP86-00513R00041231C

EYDEL'MAN, S.D.

USSR/Mathematics - Parabolic and elliptic systems

FD-1023

Card 1/1

Pub. 64 3/9

Author : Eydel'man, S. D. (Chernovtay)

Title : Relationship among the fundamental matrices of the solutions to parabolic and elliptic systems

Periodical : Mat. sbor., 35(77), No 1, 57-72, Jul-Aug 1954

Abstract : The author remarks that the fundamental matrix of the solutions for general linear elliptic systems was recently constructed by Y. B. Lopatinskiy in his article "Fundamental system of solutions to an elliptic system of linear differential equations," Ukr. matem. zhurn., III, No 1 (1951), 3-38. In the present work the author establishes a very simple connection among the fundamental matrices of solutions to parabolic and elliptic systems. This work represents a continuation of the author's "Evaluations of the solutions to parabolic systems and some of their applications," Mat. sbor., 33(75) (1953), 359-382, which contains all the necessary definitions and designations. The relation of the fundamental solutions to the equation of heat conduction and to the Laplace equation with three independent variables has been studied by A. N. Tikhonov ("Equation of heat conduction for several variables," Byull. MGU, sektsiya A, I, No 9 (1938), 1-45).

Submitted : 4 March 1953

*EYDEL'MAN, S.D.*

USSR/Mathematics - Cauchy's theorem

Card 1/1 : Pub. 22 - 8/44

Authors : Eydel'man, S. D.

Title : Cauchy's theorem (problem) for parabolic systems

Periodical : Dok. AN SSSR 98/6, 913-915, October 21, 1954

Abstract : The article deals with determination of criteria for the values of the main matrix of the solution of a parabolic system,

$$\frac{\partial u_i}{\partial t} = \sum_{j=1}^N \sum_{\sum k_s \leq 2b} A_{ij}^{(k_1 k_2 \dots k_n)}(t) \frac{\partial^{k_1 + k_2 + \dots + k_n}}{\partial x_1^{k_1} \partial x_2^{k_2} \dots \partial x_n^{k_n}}$$

(where  $i = 1, 2, \dots, N$ )  
and for their (values) use for proving the correct applicability (solvability) of Cauchy's theorem (problem) to the class of unlimited functions for parabolic systems with coefficients dependent on both time and space coordinates. Six references (1938-1953).

Institution : Chcrovitsy State University

Presented by: Academician I. C. Petrovskiy, June 10, 1954

EYDEL'MAN, S. D.

USSR/Mathematics - Liouville's type theorems

Card 1/1 Pub. 22 - 4/56

Authors : Eidel'man, S. D.

Title : Theorems of Liouville's type theorem for parabolic and elliptical systems

Periodical : Dok. AN SSSR 99/5, 681-684, Dec 11, 1954

Abstract : A series of theorems of the Liouville type is proved for the purpose of using them as a method for the solution of systems of parabolic and elliptical equations. Three USSR references (1950-1953).

Institution : The Chernovitsy State University

Presented by: Academician S. L. Sobolev, September 23, 1954

EJDEL'MAN, S.D.  
SUBJECT USSR/MATHEMATICS/Differential equations CARD 1/2 PG - 3  
AUTHOR EJDEL'MAN S.D.  
TITLE On the analytic behavior of the solutions of parabolic systems.  
PERIODICAL Doklady Akad. Nauk 103, 27-30 (1955)  
reviewed 5/1956

By aid of his earlier result on the fundamental matrices of the solutions in the complex domain (Doklady Akad. Nauk 98, No.6 (1954)) the author extends the results of Petrovski (Bull. M.G.U. 1938) to linear parabolic systems

$$(1) \quad \frac{\partial U}{\partial t} = A_0(t, x, \frac{\partial}{\partial x}) U + A_1(t, x, \frac{\partial}{\partial x}) U \equiv A(t, x, \frac{\partial}{\partial x}) U,$$

where the elements of  $A_0$  are differential operators of the order  $2b$  and the elements of  $A_1$  are of order not higher than  $2b-1$  and the coefficients are analytic functions of the space coordinates. The sketched proofs base on the fact that the fundamental matrix of the system with coefficients depending only on  $t$  belongs to the space  $z^q$  defined by Gelfand and Silov (Uspechi mat. Nauk 8, 6 (1953)),  $q = \frac{2b}{2b-1}$ . The principal lemma means that if 1) the coefficients of (1) are analytic functions of  $x_1$  in a neighborhood  $O_{x_1}$  of the real point  $t^0, x_1^0, \dots, x_n^0$ ;  $t^0 < 0$  being complex in  $x_1$  and real in the other variables,

Doklady Akad. Nauk 103, 27-30 (1955)

CARD 2/2 PG - 3

2) the coefficients of the system  $\frac{\partial U}{\partial t} = A_0(t, y, \frac{\partial}{\partial x})U$  are continuous and bounded functions of  $y, t$  and have continuous and bounded derivatives relative to  $y_1, \dots, y_n$  up to the order  $r \geq 2b+1$  in the strip  $\Pi (0 \leq t \leq T, -\infty < y_s < \infty)$ ,  
 3) in the elements of the operator  $A_1(t, x, \frac{\partial}{\partial x})$  the coefficients possess derivatives of at least first order relative to  $x_1, \dots, x_n$  being continuous and bounded in  $\Pi$ , then in  $\Pi$  there exists the fundamental matrix  $Z(t, T, x, \xi)$  which can be continued in the domain  $\mathcal{G}_2 \subset \mathcal{G}_1$  being complex in  $x_1$  such that there it is analytic.

By aid of this lemma it can be proved that if the coefficients of (1) satisfy the conditions 1)2)3) of the lemma, then every solution of (1) being regular

in  $\Pi$  and belonging to the function class  $|U(x, t)| \leq M e^{k|x|^q}$  is an analytic function of  $x_1$ . With a regular solution the author denotes a solution which is continuous together with its derivatives appearing in the system. For inhomogeneous parabolic systems correspondingly holds: If the coefficients satisfy certain conditions, then every solution satisfying the inhomogeneous system in a certain neighborhood can be continued into the complex such that there it becomes analytic.

INSTITUTION: Public University Cernovizy

Eydel'man, S. D.

Call Nr: AF 1108825

Transactions of the Third All-union Mathematical Congress (Cont.)  
Jun-Jul '56, Trudy '56, V. 1, Sect. Rpts., Izdatel'stvo AN SSSR, Moscow, 1956, 237 pp.  
There is 1 USSR reference.

Eydel'man, S. D. (L'vov). On the Method of Fundamental Solutions  
or the Theory of Parabolic Systems. 72-73

There are 4 references, all of them USSR.

74-113

Section of the Theory of Functions.

Reports of the Following personalities are included:

Avetisyan, A. E. (Yerevan). On Approximation of Function of  
Many Variables by Entire Functions. 74-75

Mention is made of Dzhrbashyan, M. M.

Al'per, S. Ya. (Rostov-na-Donu). On the Asymptotic Values  
of the Best Approximation of Analytic Function in Complex  
Region. 75

Card 22/80

EVDELMAN, S.D.

parabolic systems." (From stat. 6, 1977  
(Russian))

Les résultats de cet article sont pour l'essentiel contenus

SUBJECT  
AUTHOR  
TITLE  
PERIODICAL

USSR/MATHEMATICS/Integral equations  
EJDML'MAN S.D.  
On an integral equation with an irregular kernel.  
Uspechi mat. Nauk 11, 1, 235-239 (1956)  
reviewed 4/1957

CARD 1/2 PG - 708

The author considers the integral equation

$$(1) \quad \mu(t) + \frac{1}{2} \int_0^t \frac{k}{(t-\tau)^{3/2}} e^{\frac{ik^2}{4m(t-\tau)}} u(\tau) d\tau, \quad (m > 0),$$

from which he seeks a solution by proving at first the lemma 1: If  $u(t)$  is a function which admits a continuous derivative of second order and if  $u(0) = 0$ , then the operator integral  $\Delta^{(m)}$ , defined by

$$(2) \quad \Delta^{(m)} u = \frac{1}{2} \int_0^t \frac{k}{2\sqrt{m}(t-\tau)^{3/2}} e^{\frac{ik^2}{4m(t-\tau)}} u(\tau) d\tau, \quad (m > 0),$$

satisfies the relation:

Uspechi mat. Nauk 11, 1, 235-239 (1956)

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PG - 708

$$(3) \quad \Delta^{(m)} \Delta^{(n)} = \Delta^{(n)} \Delta^{(m)} = \frac{1}{2} \Delta \left( \frac{nm}{(\sqrt{n} + \sqrt{m})^2} \right).$$

Writing the equation (1) in the form

$$(4) \quad \mu(t) + 2\Delta^{(1)} \mu = \varphi(t)$$

and by applying to (4) the iteration method, the author shows that the solution of (1) is given by

$$(5) \quad \mu(t) = 2 \sum_{n=1}^{\infty} (-1)^n \Delta \left( \frac{1}{2} \right) \varphi + \varphi(t).$$

Moreover this solution is unique.

EYDELMAN, S.-D.

SUBJECT USSR/MATHEMATICS/Differential equations CARD 1/2 PG - 399  
 AUTHOR EYDELMAN S.D.  
 TITLE The behavior of the solutions of the heat conducting equation  
 in the neighborhood of an isolated singularity.  
 PERIODICAL Uspechi mat. Nauk 11, 3, 207-210 (1956)  
 reviewed 11/1956

The theorem on the behavior in the neighborhood of an isolated singularity  
 is extended to the solutions of the heat conducting equation:

$$(1) \quad \frac{\partial u}{\partial t} - \sum_{k=1}^m \frac{\partial^2 u}{\partial x_k^2} = 0$$

Let  $u(x_1, x_2, x_3, t) = u(x, t)$  be a solution of (1) having an isolated singularity  
 at the origin. We have

$$u(x, t) = \sum_{m=0}^{m-1} \sum_{m_1+m_2+m_3=m} a_{m_1 m_2 m_3} \frac{\partial^m u(x, t)}{\partial x_1^{m_1} \partial x_2^{m_2} \partial x_3^{m_3}} + u_0(x, t) \quad \text{for } t > 0$$

with  $U(x, t) = \mathfrak{U}(x, t; 0, 0)$ , where the function  
 $\mathfrak{U}(x, t; \xi, \tau) = (2 \sqrt{\pi(t-\tau)})^{-3} \exp \left[ -\frac{1}{4(t-\tau)} \sum_{k=1}^m (x_k - \xi_k)^2 \right]$

Uspechi mat. Nauk 11, 3, 207-210 (1956)

CARD 2/2

PG . 399

is a fundamental solution of (1). The function  $u_c(x, t)$  is a solution of (1) being regular at the origin. The number  $N$  depends on the order of the singularity of the function  $u(x, t)$ . The theorem holds for an arbitrary number of independent variables. The author announces that he has proved an analogous theorem relative to parabolic systems (in the sense of Petrovskij) of an arbitrary order in the general form.

EYDEL'MAN, S.D.

SUBJECT USSR/MATHEMATICS/Differential equations CARD 1/2 PG - 445  
 AUTHOR EYDEL'MAN S.D.  
 TITLE On fundamental solutions of parabolic systems.  
 PERIODICAL Mat. Sbornik, n. Ser. 38, 51-92 (1956)  
 reviewed 12/1956

The principal results of the present investigations have been published in an earlier paper (Doklady Akad. Nauk 97, 913-915 (1954)). The author considers parabolic systems

$$(1) \quad \frac{\partial u_i}{\partial t} = \sum_{j=1}^N \sum_{\sum k_s \leq 2b} A_{ij}^{(k_1, k_2, \dots, k_n)}(t, x) \frac{\partial^{k_1+k_2+\dots+k_n} u_j}{\partial x_1^{k_1} \partial x_2^{k_2} \dots \partial x_n^{k_n}} \quad i=1, 2, \dots, N$$

or written in matrix form

$$(2) \quad \frac{\partial \mathbf{U}}{\partial t} = P(t, x, \frac{1}{2\pi i} \frac{\partial}{\partial x}) \mathbf{U}.$$

He constructs the fundamental matrix of the solutions of (2) and investigates

~~EYDEL'MAN, S.D.~~ EYDEL'MAN, S.D.

SUBJECT USSR/MATHEMATICS/Differential equations CARD 1/2 PG - 653  
 AUTHOR EIDEL'MAN S.D., LIPKO B.Ja.  
 TITLE On a theorem of Liouville's type.  
 PERIODICAL Mat. Sbornik, n. Ser. 40, 273-280 (1956)  
 reviewed 3/1957

The authors consider the parabolic system

$$(1) \quad \frac{\partial U}{\partial t} = P_0(t, x, \frac{1}{2\pi i} \frac{\partial}{\partial x})U + P_1(t, x, \frac{1}{2\pi i} \frac{\partial}{\partial x})U,$$

where  $P_0$  is a differential operator of order  $2b$ , while the order of the differential operator  $P_1$  is at most  $2b-1$ . Besides it is assumed that the derivatives of Green's matrix  $G_0(t, \tau, x - \xi, y)$  of the system satisfy certain estimations and that the coefficients of the system in the half space  $t \leq T$  possess continuous and bounded derivatives up to a certain order.

By estimation of the fundamental matrix  $Z(t, \tau, x, \xi)$  constructed by Eidel'man (see: Doklady Akad. Nauk 97, 913-915 (1954)) and by aid of some ideas of Gel'fand and Silov (Uspechi mat. Nauk 8, 6, 3-54 (1953)) the authors come to the following assertion: Every solution  $U(x, t)$  being regular in  $t \leq T$  of the parabolic system (1), which must satisfy all above mentioned conditions, vanishes identically if for it the inequation

Mat. Sbornik, n. Ser. 40, 273-280 (1956)

CARD 2/2

PG - 653

$$|u(x, t)| \leq \psi(t) e^{\sum_{s=1}^n x_s}$$

is satisfied. The function  $\psi(t)$  is continuous in  $t \in T$  and must still satisfy a condition of increase.

INSTITUTION: Chernovizy.

EYDEL'MAN S. D.

SUBJECT USSR/MATHEMATICS/Differential equations CARD 1/1 PG - 792  
AUTHOR EYDEL'MAN S.D.  
TITLE Normal fundamental solution matrices of parabolic systems.  
PERIODICAL Doklady Akad. Nauk 110, 523-526 (1956)  
reviewed 5/1957

In his earlier investigations on the solvability of the Cauchy problem for the parabolic system

$$\frac{\partial u}{\partial t} = A_0(t, x, \frac{\partial}{\partial x})u + A_1(t, x, \frac{\partial}{\partial x})u \equiv A(t, x, \frac{\partial}{\partial x})u$$

the author constructed the normal fundamental solution matrix  $Z(t, \tau, x, \xi)$  under the assumption that the coefficients satisfy certain conditions (smoothness, boundedness) in the strip  $\{0 \leq t \leq T, -\infty < x_s < \infty\}$  with  $s=1, 2, \dots, n$  (Doklady Akad. Nauk 98, 6 (1954); ibid. 103, 1 (1955)). In the present paper the author constructs the solution matrix for a finite region of definition of the coefficients  $\{0 \leq t \leq T, x \in D\}$ . Under very numerous assumptions he succeeds in constructing a normal fundamental matrix which satisfies sufficient conditions of differentiability and certain estimations. Some similar questions are treated.

INSTITUTION: University Chernovizy.

*Classification: Top Secret*

SUBJECT USSR/MATHEMATICS/Differential equations CARD 1/2 PG - 786  
AUTHOR EJDEL'MAN S.D.  
TITLE On regular and parabolic systems of partial differential  
equations.  
PERIODICAL Uspechi mat.Nauk 12, 1 (1957) 254-257  
reviewed 5/1957

The paper consists of two sections, one of which in essential was already published (Mat.Sbornik 38, 1, (1956) 51-92 and Doklady Akad.Nauk 110, 4 (1956)). The other section treats systems with coefficients which depend on the time. The consideration of the differential operators in the spaces  $S_{\alpha A}^{\beta B}$  (see Gel'fand and Šilov, Doklady Akad.Nauk 102, 6 (1955)) permits the author, under certain conditions, to prove the uniqueness of the solution of the Cauchy problem for the equation

$$\frac{\partial u}{\partial t} = P(t, \frac{1}{2\pi i} \frac{\partial}{\partial x})u$$

(uniqueness in the class of functions  $u(x, t)$  for which  $|u(x, t)| \leq c_2 e^{k|x|^{p/2}}$ ).

The author gives an example for systems being regular in the sense of Gel'fand-Silov, which neither are parabolic nor hyperbolic. For the question of the analyticity of the solutions the following theorem is given: If there exist real  $\sigma_1, \dots, \sigma_n$  ( $\sigma_1 \neq 0$ ) such that the equation

EYDEL'MAN, S.D.

20-2-15/62

AUTHOR: Eydel'man, S.D.

TITLE: Some Theorems on the Stability of the Solutions of Parabolic Systems (Nekotoryye teoremy ob ustoychivosti resheniy parabolicheskikh sistem)

PERIODICAL: Doklady Akademii Nauk SSSR, 1957, Vol. 115, Nr 2, pp. 253 - 255 (USSR)

ABSTRACT: The present paper reports on some theorems concerning the stability (in the sense of Lyapunov) of stable parabolic systems in the sense of I.G. Petrovskiy which are defined in the half space  $t \geq 0$  and which in every strip  $[0, T]$  belong to the class E of the uniqueness of the solution of Cauchy's problem (Koshi's problem). In this connection  $P_k(t, (1/i)d/dx)$  signifies a differential operator of the order k with coefficients continuous in the case of  $t \geq 0$ . These results are obtained by the study of Green's matrix (Grin's matrix) of the above-mentioned system in the half space  $t \geq 0$ . Some of the thus obtained criteria are direct generalization of the well-known theorem by A.M. Lyapunov for the partial differential equations of the parabolic type. The author here studies the problem of the stability of the trivial solution of this system.

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20-2-15/62

Some Theorems on the Stability of the Solutions of Parabolic Systems  
The author gives altogether 2 definitions and 4 rather comprehensive theorems. There are 4 Slavic references.

ASSOCIATION: Chernovtsay State University  
(Chernovitskiy gosudarstvennyy universitet)  
PRESENTED: February 14, 1957, by I.G. Petrovskiy, Academician  
SUBMITTED: February 12, 1957  
AVAILABLE: Library of Congress

Card 2/2

Eydel'man, S.D.

20-6-9/42

AUTHOR: EYDEL'MAN, S.D.

TITLE: On Cauchy's Problem for Non-Linear and Quasi-Linear Parabolic Systems (O zadache Koshi dlya lineynykh i kvezilineynykh parabolicheskikh sistem)

PERIODICAL: Doklady Akad. Nauk, SSSR, 1957, Vol. 116, Nr 6, pp. 930-932 (USSR)

ABSTRACT: The author considers non-linear systems

$$\frac{\partial u}{\partial t} = F(t, x, u, \dots, \frac{\partial^{2b} u}{\partial x_1^{k_1} \dots \partial x_n^{k_n}}), \text{ quasi-linear systems}$$

$$\frac{\partial u}{\partial t} = P_0(t, x, u, \dots, \frac{\partial^m u}{\partial x_1^{k_1} \dots \partial x_n^{k_n}}), \frac{\partial}{\partial x} u + F(t, x, u, \dots,$$

$$\dots, \frac{\partial^m u}{\partial x_1^{k_1} \dots \partial x_n^{k_n}}), 0 \leq m \leq 2b - 1, P_0(t, x, y; \frac{\partial}{\partial x}) \text{ a differen-}$$

Card 1/2 tial operator, and systems which differ few from linear systems

On Cauchy's Problem for Non-Linear and Quasi-Linear Parabolic Systems 20-6-9/42

$$\frac{\partial u}{\partial t} = P_0(t, x; \frac{\partial}{\partial x})u + F(t, x, u, \dots, \frac{\partial^{2b-1} u}{\partial x_1 \dots \partial x_n^k}), \text{ which}$$

altogether are supposed to be parabolic in Petrovski's sense. The correct solubility of Cauchy's problem is investigated. In all the three cases sufficient conditions are given for the existence of a certain correct solution. The proofs are based on the properties of the fundamental solution matrices of linear parabolic systems which recently were investigated by the author [Ref.2]. The present results of the author were already partially announced by him in 1956 on the Third Union Congress of Mathematicians. There are 2 Slavic references.

ASSOCIATION: Chernovtsi State University (Chernovitskiy gosudarstvennyy universitet)  
PRESENTED: By I.G.Petrovskiy, Academician, May 15, 1957  
SUBMITTED: May 9, 1957  
AVAILABLE: Library of Congress

Card 2/2

EYDEL'MAN, S. D.: Doc Phys-Math Sci (diss) -- "Investigation of the theory of parabolic systems". Chernovtsev, 1958. 8 pp (Min Higher Educ USSR, Moscow Order of Lenin and Order of Labor Red Banner State U im M. V. Lomonosov), 150 copies (KL, No 5, 1959, 142)

SOV/42-13-4-9/11

AUTHOR: Eydel'man, S.D.

TITLE: On a Class of Regular Systems of Partial Differential Equations  
(Ob odnom klasse regulyarnykh sistem differentsial'nykh uravneniy  
v chastnykh proizvodnykh)

PERIODICAL: Uspekhi matematicheskikh nauk, 1958, Vol 13, Nr 4, pp 205-209 (USSR)

ABSTRACT: It is shown that the system

$$(1) \quad \frac{\partial}{\partial t} \left[ \frac{\partial u}{\partial t} - P(t, \frac{1}{i} \frac{\partial}{\partial x}) u \right] = R(t, \frac{1}{i} \frac{\partial}{\partial x}) u,$$

where  $\frac{\partial u}{\partial t} - P(t, \frac{1}{i} \frac{\partial}{\partial x}) u = 0$  is a system parabolic in the sense of Petrovskiy [Ref 4] with  $M = 2b$ ,  $n_1 = 1$  ( $M$  - maximal order of differentiability with respect to  $x_1, \dots, x_n$  in the operator  $P$  and  $2b$  - parabolic weight) and  $R$  is an arbitrary operator with coefficients of at most  $2b$ -th order continuous on  $[0, T]$ , is neither hyperbolic nor parabolic. At the same time, however, this system (1) is regular in the sense of Gel'fand and Shilov [Ref 1] and therewith it has a certain classical solution. To the class (1) there belongs e.g. the equation for the propagation of sound in a gas.

There are 7 Soviet references.

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On a Class of Regular Systems of Partial Differential Equations

SOV/42-13-4-6/11

SUBMITTED: July 18, 1956

Card 2/2

AUTHOR:

Eydel'man, S.D. (Chernovtay)

39-44-4-3/5

TITLE:

Liouville Theorems and Stability Theorems for Solutions of  
Parabolic Systems (Liuvillevy teoremy i teoremy ob ustoychi-  
vosti dlya resheniy parabolicheskikh sistem)

PERIODICAL:

Matematicheskiy Sbornik, 1958, Vol 44, Nr 4, pp 481-508 (USSR)

ABSTRACT:

The parabolic systems (1)

$$\frac{\partial^{n_i} u_i}{\partial t^{n_i}} = \sum_{j=1}^N \sum_{\substack{k_0, k_1, \dots, k_n \\ k_0 + k_1 + \dots + k_n = n_i}} A_{ij}^{(k_0, k_1, \dots, k_n)}(t) \frac{\partial^{k_0+k_1+\dots+k_n} u_j}{\partial t^{k_0} \partial x_1^{k_1} \dots \partial x_n^{k_n}}$$

(i = 1, 2, ..., N)  
(t ≤ T or t ≥ T)

in the sense of Petrovskiy are considered. Several former results of the author [Ref 12, 13, 14, 15] are generalized. § 1. The consideration is based on estimations of Green's matrix  $G(t, \tau, x)$  of (1). It is supposed that it satisfies one of the following conditions for all  $t, \tau, t > \tau, x_1, \dots, x_n$  with

Card 1/4

Liouville Theorems and Stability Theorems for Solutions of 39-44-4-3/5  
Parabolic Systems

$t > T$  or  $t \leq T$  :

$$\Lambda_1 : |D^m G(t, \tau, x)| \leq c_m [a(t, \tau)]^{K_m} e^{-c \left| \frac{x}{a} \right|^q}$$

$$\Lambda_2 : |D^m G(t, \tau, x)| \leq c_m [a(t, \tau)]^{K_m} e^{-b(t, \tau) - c \left| \frac{x}{a} \right|^q}$$

where  $a(t, \tau)$ ,  $b(t, \tau)$  are continuous monotonely increasing functions of  $t$ ,  $a(\tau, \tau) = 0$ ,  $b(\tau, \tau) = 0$ ;  $c_m, c$  positive constants. The author gives several examples of classes of systems which satisfy the  $\Lambda$ -conditions, e.g. strongly parabolic systems, certain systems the coefficients of which are constant or of bounded variation etc. § 2. Four Liouville theorems are proved, e.g.  
Theorem: If for  $t \leq T$  it holds the condition  $\Lambda_1$ , where for  $\tau \rightarrow -\infty$  it tends  $a(t, \tau) \rightarrow \infty$  and for  $\tau \rightarrow \infty$  it tends  $K_m \rightarrow -\infty$ , then each solution of (1) regular in  $t \leq T$  satisfying the condition

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Liouville Theorems and Stability Theorems for Solutions of 39-44-4-3/5  
Parabolic Systems

$\left| \frac{\partial^k u_1}{\partial t^k} \right| \leq c [1 + |x|]^B \quad (k = 0, 1, \dots, n_1 - 1)$   
consists of a system of polynomials of at most [B] -th degree.  
If, however, in (1) it is  $\sum_{s=1}^n k_s \geq 1$  and if  $B < 1$ , then the

$u_i$  are constant.

Theorem: If for  $t \leq T$  it holds  $\Delta_2$  with  $m = 0$  and if a solution of (1) regular in  $t \leq T$  satisfies the condition

$$|u(x, t)| \leq \varphi(t) e^{k|x|^\mu}, \quad 1 \leq \mu < q$$

$$\varphi(t_0) a(t, t_0)^{\frac{q-n}{q-\mu}} \times \exp \left\{ -b(t, t_0) + a(t, t_0)^{\frac{\mu q}{q-\mu}} \left( \frac{\mu v k}{c q} \right)^{\frac{\mu}{q-\mu}} y_k^{\frac{q-\mu}{q}} \right\} \xrightarrow[t_0 \rightarrow -\infty]{} 0$$

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Liouville Theorems and Stability Theorems for Solutions of 39-44-4-3/5  
Parabolic Systems

where  $\psi=1$  for  $\mu=1$  and  $\psi=2^\mu$  for  $\mu>1$ , then the solution  
is identically equal to zero.

In the third paragraph the author shows that the considered  
properties of the solutions are closely connected with their  
stability. Three theorems referring to this are proved.  
There are 21 references, 18 of which are Soviet, 1 French, and  
2 American.

SUBMITTED: November 14, 1956

Card 4/4

20-120-5-1467

AUTHOR: Eydel'man, S.D.TITLE: Fundamental Matrices of the Solutions of General Parabolic Systems  
(Fundamental'nyye matritsy resheniy obshchikh parabolicheskikh sistem)PERIODICAL: Doklady Akademii nauk SSSR, 1958, Vol 120, Nr 5, pp 980-983 (USSR)ABSTRACT: With the aid of the same methods with which the author (in earlier papers [Ref 3,4]) constructed and investigated the fundamental matrices of the solutions of linear systems being parabolic in the sense of Petrovskiy, fundamental solution matrices for general parabolic systems

$$(1) \quad \frac{\partial^{n_1} u_1}{\partial t^{n_1}} = \sum_{2bk_0 \leq |k| \leq 2bn_1} A_{ij}^{(k,k)}(x,t) \frac{\partial^{k_0}}{\partial t^{k_0}} D_x^k u_j(x,t)$$

are considered. It is shown that for certain assumptions on the continuity and boundedness of the coefficients of (1) the system (1) possesses a fundamental matrix of solutions which satisfies certain inequalities and which can be continued analytically into the complex domain under further assumptions. The integral operators, the kernels of which are the considered matrices in

Card 1/2

Fundamental Matrices of the Solutions of General Parabolic Systems 20-120-5-14/67  
certain  $L_p$ -spaces, are explicitly characterized. For an in-  
homogenous system obtained from the system (1) by addition of  
further terms the author investigates the existence and uniqueness  
of generalized solutions.  
There are 4 references, 3 of which are Soviet and 1 American.

ASSOCIATION: Chernovitskiy gosudarstvennyy universitet, (Chernovtsay State  
University)

PRESENTED: December 9, 1957, by I.G.Petrovskiy, Academician

SUBMITTED: November 4, 1957

1. Mathematics

Card 2/2

16(1)  
AUTHOR:

Eydel'man, S.D.

307/140-59-2-27/30

TITLE:

Integral Maximum Principle for Strongly Parabolic Systems and  
Some of its Applications (Integral'nyy printsip makeimuma dlya  
sil'no parabolicheskikh sistem i nekotoryye yego prilozheniya)

PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy. Matematika, 1959,  
Nr 2, pp 252-258 (USSR)

ABSTRACT: The author establishes for strongly parabolic systems an integral  
maximum principle analogous to that of M.M.Lavrent'yev [Ref 1]  
for strongly elliptic systems.

Let  $u(x, t)$  be a real regular solution of

$$\frac{\partial u}{\partial t} = \sum_{i,j=1}^n \frac{\partial}{\partial x_i} (A_{ij}(x, t) \frac{\partial u}{\partial x_j}) + \sum_{i=1}^n B_i(x, t) \frac{\partial u}{\partial x_i} + C(x, t)u$$

in the strip  $\Pi_1$ :  $0 < t \leq T$ ,  $-\infty < x_1 < \infty$ , and  $g(x, t)$  be a  
differentiable function of  $x_1, x_2, \dots, x_n, t$  real in  $\Pi_1$ .

Theorem: If  $u(x, t) \in W_{2,g}^{(1)}$ , i.e. if for all  $t_1 \in (0, T)$ :

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Integral Maximum Principle for Strongly Parabolic Systems and Some of its Applications SOV/140-59-2-27/30

$$\|u(x, t)\|_{W_{2,g}^{(1)}} \equiv \int_{t_1}^T dt \left\{ \left| u \right|^2 + \sum_{i=1}^n \left| \frac{\partial u}{\partial x_i} \right|^2 \right\} dx < +\infty,$$

$|A_{ij}(x, t)| \leq M$  for  $(x, t) \in \Gamma_1$  and if the quadratic form

$$\langle \mathcal{C}c, c \rangle \equiv - \sum_{i,j=1}^n (A_{ij}(x, t) a_i, a_j) + \sum_{i=1}^n \left( (B_i + \sum_{j=1}^n A_{ij} \frac{\partial g}{\partial x_j}) a_i, b \right) + \left( (C - \frac{1}{2} \frac{\partial g}{\partial t} E) b, b \right) \leq 0$$

for all real vectors  $c = (a_1, \dots, a_n, b)$ , then for  $t_1 \leq t_2$  we have  $F(t_1) \geq F(t_2)$ , where

$$F(t) = \|u(x, t)\|_{L_{2,g}} = \int |u|^2 \exp\{-g(x, t)\} dx, \quad |u|^2 = \sum_{s=1}^n u_s^2.$$

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Integral Maximum Principle for Strongly Parabolic Systems and Some of its Applications SOV/140-59-2-27/30

If furthermore  $(\beta c, c) = \psi(t)(b, b)$ ,  $\psi(t) > 0$ , then

$$F(t_1) \geq \exp \left\{ -2 \int_{t_1}^2 \psi(\beta) d\beta \right\} \cdot F(t_2) .$$

Several conclusions of the theorem are mentioned.

There are 4 Soviet references.

ASSOCIATION: Chernovitskiy gosudarstvennyy universitet (Chernivtsi State University)

SUBMITTED: April 1, 1958

Card 3/3

16(1)

AUTHOR: Eydel'man, S.D.

SOV/20-125-4-14/74

TITLE: On the Behavior of the Solutions of a Parabolic System in the Neighborhood of an Isolated Singular Point (O povedenii resheniy parabolicheskoy sistemy v okrestnosti izolirovannoy osoboy tochki)

PERIODICAL: Doklady Akademii nauk SSSR, 1959, Vol 125, Nr 4, pp 743-745 (USSR)

ABSTRACT: According to Ya.B.Lopatinskiy [Ref 2] a function  $\varphi(x)$  defined in the finite domain  $V$  of the  $n$ -dimensional space  $x_1, x_2, \dots, x_n$

belongs to the functional set  $K_p^{x_0}$ ,  $K_{p=0}^{x_0} = \sum_{q < p} K_q^{x_0}$  if it is

continuous for  $x \neq x_0$ ,  $x_0 \in V$  and if the expressions

1)  $|\varphi(x)| \cdot |x-x_0|^p$ ,  $p > 0$ ; 2)  $|\varphi(x)| / |\ln|x-x_0||$ ,  $p = 0$ ; 3)  $|\varphi(x)|$ ,

$p < 0$  are bounded.

Principal result: In the cylinder  $G \{t_1 \leq t \leq t_2, x \in V\}$  with the exception of the point  $(x_0, t_0)$  let  $u(x, t)$  be a regular solution of the system

Card 1/3

On the Behavior of the Solutions of a Parabolic System in the Neighborhood of an Isolated Singular Point

SOV/20-125-4-14/74

$$(1) \frac{\partial^m u}{\partial t^m} = \sum_{2bk_0 + |k| \leq 2bm} A^{(k_0, k)}(x, t) \frac{\partial^{k_0}}{\partial t^{k_0}} D_x^k u, k_0 \leq m-1.$$

Let

$$\int_{t_1}^{t_2} |t-t_0|^{1-\frac{k_0}{k}} \left| \frac{\partial^{k_0}}{\partial t^{k_0}} D_x^k u \right| dt \in K_{M+|k|-2b(m+1-k_0)+n-0} ;$$

$2bk_0 + |k| \leq 2bm-1$ ;  $l = 0, \dots, r$ ;  $r = \frac{M}{2b}$ , if  $\frac{M}{2b}$  is integral,  
 $r = \lceil \frac{M}{2b} \rceil + 1$  if  $\frac{M}{2b}$  is a fraction. Let the coefficients of (1)  
be defined in  $G_1 \{ t_1 \leq t \leq t_2; x \in V_1 \}$ ,  $V_1$ , and have continuous  
derivatives of the order  $k_0' + |k'|$ ;  $2bk_0' + |k'| \leq 2b(r-1) + k_0 + |k|$  in  
 $G_1$ . If  $r=1$ , then let the derivatives of  $A$  with respect to  $x$  up  
to the order  $k_0 + |k|$  be Hölderian. Then it holds

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On the Behavior of the Solutions of a Parabolic  
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SOV/20-125-4-14/74

$$u(x, t) = \begin{cases} \sum_{\substack{2bk_0 + lk \leq M-1 \\ k_0 \leq m-1}} \frac{\partial^k}{\partial t_0^k} D_{x_0}^k Z(t, t_0, x, x_0) a_{k_0 k}(t_0, x_0) + u^*(x, t), & t > t_0 \\ u^*(x, t), & t \leq t_0 \end{cases}$$

where  $u^*$  is regular in  $G$  and  $Z(t, t_0, x, x_0)$  is the fundamental  
matrix of the solutions of (1) constructed in Ref 4.  
The author mentions I.G.Petrovskiy, S.V.Kovalevskaya, and E.E.  
Levi.

There are 6 Soviet references.

ASSOCIATION: Chernovitskiy gosudarstvennyy universitet (Chernovitsy State  
University)

PRESENTED: December 17, 1958, by I.N.Vekua, Academician

SUBMITTED: December 14, 1958

Card 3/3

16(1)

AUTHORS: Eydel'man, S.D., Porper, F.O. SOV/20-126-5-9/69TITLE: On Some Properties of Parabolic Systems in the Sense of  
G.Ye. Shilov

PERIODICAL: Doklady Akademii nauk SSSR, 1959, Vol 126, Nr 5, pp 948-950 (USSR)

ABSTRACT: Let the system

$$(1) \quad \frac{\partial u}{\partial t} = \sum_{0 < h \leq |k| \leq p} A_k(t) D_x^k u$$

be given, where  $|k| = k_1 + k_2 + \dots + k_n$ ,  $D_x^k =$   
 $= \frac{\partial^{|k|}}{\partial x_1^{k_1} \partial x_2^{k_2} \dots \partial x_n^{k_n}}$ ,  $x = (x_1, \dots, x_n)$ ,  $u = (u_1, \dots, u_n)$ ,

$A_k(t)$  is continuous and bounded for  $t > 0$ . At first the authors consider estimations of the Green matrix of the system. Then these estimations are used in order to investigate the solutions. Two theorems are given. Theorem 1.) Every solution

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On Some Properties of Parabolic Systems in the Sense of 307/20-126-5-5/6  
G.Ye. Shilov

of (1) regular for  $t \leq 0$  satisfying the condition

$|u(x, t)| \leq c [1 + |x|]^B$  is a system of polynomials of at most  $[B]$ -th degree in  $x$ .

2.) If the  $A_k(t)$  are constants and if a solution regular in  $t \leq 0$  satisfies the condition

$$|u(x, t)| \leq c [1 + |x|]^B [1 + |t|]^A,$$

then this solution is a system of polynomials of at most  $[B]$ -th degree in  $x$  and of at most the degree

$$\min \left\{ [\alpha], \left[ \frac{B}{h} \right] \right\} \text{ in } t.$$

I.G. Petrovskiy is mentioned in the paper. The authors thank G.Ye. Shilov and his followers for valuable discussions.

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On Some Properties of Parabolic Systems in the  
Sense of G.Ye. Shilov

SOV/20-126-5-9/69

There are 2 Soviet references.

ASSOCIATION: Chernovitskiy gosudarstvennyy universitet  
(Chernovtsay State University)

PRESENTED: March 10, 1959, by I.N. Vekua, Academician

SUBMITTED: March 9, 1959

Card 3/3

16(1)

AUTHOR: Eydel'man, S.D.

SOV/20-127-4-8/60

TITLE: Cauchy Problem for Parabolic Systems With Growing Coefficients

PERIODICAL: Doklady Akademii nauk SSSR, 1959, Vol 127, Nr 4, pp 760-763 (USSR)

ABSTRACT: The author investigates the correctness of the Cauchy problem for parabolic systems with growing coefficients. The fundamental matrix of the solutions is the up as the sum of the Green's matrix of a shortened system containing only the highest derivatives, and an additional term which is chosen so that the initial system is satisfied. For the Green's matrix there hold the earlier estimations of the author, wherefrom there follows the existence of the sought fundamental matrix and an estimation for it. It is stated that the conditions for the correctness of the Cauchy problem given in [Ref 1,2] are valid also for the considered systems if the growing coefficients do not exceed a certain potential order of increase. The author mentions I.G. Petrovskiy.

There are 2 Soviet references.

ASSOCIATION: Chernovitskiy gosudarstvennyy universitet (Chernovtsy State University)

PRESENTED: April 8, 1959, by I.G.Petrovskiy, Academician

SUBMITTED: April 3, 1959

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L 23861-65 EWT(d)/EWA(m)-2 IJP(c)

ACCESSION NR: AR4046313

S/0044/64/000/008/B066/B066

SOURCE: Ref. zh. Matematika, Abs. 8B337

AUTHOR: Eydel'man, S. D.; Yangarber, V. A.

TITLE: Some new Liouville theorems on stability for parabolic systems

CITED SOURCE: Nauchn. yezhegodnik za 1958 g. Chernovitsk, un-t, Chernovtsy\*, 1960, 480-483

TOPIC TAGS: parabolic system, Petrov concept, polynomial, square matrix, Green matrix, Liouville theorem, asymptotic stability

TRANSLATION: The parabolic system of the Petrov concept is examined

$$\frac{du}{dt} - \sum_{|k| \leq n} p_k(t, -i \frac{\partial}{\partial x}) u = P(t, -i \frac{\partial}{\partial x}) u, \quad (1)$$

where  $P_k(t, \sigma)$  is a polynomial, with respect to  $\sigma_1, \dots, \sigma_n$  square matrix of the

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ACCESSION NR: AR4046313

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K degree with continuous and finite coefficients. It is proved that upon satisfying certain conditions on the commutant of system (1) for the Green matrix  $G(t, t_0, x)$  of the system (1), the following estimate is correct:

$$\|G(t, t_0, x)\| \leq C(t-t_0)^{-\frac{1}{2k}} \times \\ \times \exp \left\{ -(\sigma - E_0)(t-t_0) - C \left| \frac{x}{(t-t_0)^{\frac{1}{2k}}} \right|^{\frac{2k}{2k-1}} \right\}.$$

From this the author derives an amplified Liouville theorem and a theorem on asymptotic stability of the solution of system (1) with the help of criteria of asymptotic stability of solutions of the system of usual differential equations developed by Germaidze. O. Red'kina

SUB CODE: MA

ENCL: 00

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SOV/42-15-1-18/27

AUTHOR: Eydel'man, S. D.

TITLE: On the Validity of Liouville Theorems for Solutions of Parabolic Systems

PERIODICAL: Uspekhi matematicheskikh nauk, 1960, Vol 15, Nr 1, pp 233-234 (USSR)

ABSTRACT: It is known that the classical Liouville theorem can be extended from harmonic functions to solution of general parabolic and elliptic systems (S. D. Eydel'man, Liouville Theorems and Theorems of Stability for Solutions of Parabolic Systems, Mat. sb. 44 (36): 4 (1958) 481-508) using examples introduced by R. E. Vinograd (On an Assertion of K. P. Persidskiy, U. M. N. Nr 2 (60) (1954) 125-128) in connection with stability problems of ordinary differential equation, the author constructs parabolic systems in the sense of I.G. Petrovskiy, with variable coefficients such that Liouville's theorem is not valid for the solutions. The examples given are:

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On the Validity of Liouville Theorems for  
Solutions of Parabolic Systems

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$$\left. \begin{aligned} \frac{\partial u_1}{\partial t} &= (\cos 2t - a)(-1)^b \frac{\partial^{2b} u_1}{\partial x^{2b}} + (-1 + \sin 2t)(-1)^b \frac{\partial^{2b} u_2}{\partial x^{2b}}, \\ \frac{\partial u_2}{\partial t} &= (1 + \sin 2t)(-1)^b \frac{\partial^{2b} u_1}{\partial x^{2b}} + (-\cos 2t - a)(-1)^b \frac{\partial^{2b} u_2}{\partial x^{2b}} \end{aligned} \right\} \quad (1) \\ (0 < a \leq 1)$$

$$\text{with solution: } u_1(x, t) = e^{ix+(1-a)t} \cos t, \quad u_2(x, t) = e^{ix+(1-a)t} \sin t, \quad (2)$$

limited to a half-plane  $t \leq 0$ .

$$\left. \begin{aligned} \frac{\partial v_1}{\partial t} &= (-1)^{b-1} \frac{\partial^{2b} v_1}{\partial x^{2b}} + (\cos 2t - a)v_1 + (-1 + \sin 2t)v_2, \\ \frac{\partial v_2}{\partial t} &= (-1)^{b-1} \frac{\partial^{2b} v_2}{\partial x^{2b}} + (1 + \sin 2t)v_1 + (-\cos 2t - a)v_2, \end{aligned} \right\} \quad (3) \\ 0 < a \leq 1,$$

with solution:

$$v_1(x, t) = e^{(1-a)t} \cos t, \quad v_2(x, t) = e^{(1-a)t} \sin t, \quad (4)$$

limited to a half-plane  $t \leq 0$ .

There are 2 Soviet references.

SUBMITTED:

August 11, 1958

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77815  
SOV/42-15-1-22/27AUTHOR: Fydel'man, S. D.TITLE: Investigations in the Theory of Parabolic Systems  
(Doctor's Dissertation)PERIODICAL: Uspekhi matematicheskikh nauk, 1960, № 1,  
pp 251-256 (USSR) <sup>15</sup>ABSTRACT: The dissertation was defended at a session of the  
Soviet of the mechanico-mathematical faculty of  
Moscow University on April 5, 1959. The official  
opponents were Prof. S. G. Kreyn, Prof. G. E. Shilov,  
and doctor of the physico-mathematical sciences, E. M.  
Landis. The thesis is devoted to the investigation  
of fundamental solution matrices of arbitrary linear  
parabolic system, in the sense of I. G. Petrovskiy:

$$\frac{\partial^n u_i}{\partial t^n} = \sum_{2k_0+1 \leq j \leq 2n_0} A_{ij}^{(k_0)}(x, t) \frac{\partial^{k_0}}{\partial t^{k_0}} D^k u_j \quad (i=1, 2, \dots, N) \quad (1)$$

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where  $D^k = \frac{\partial^{|k|}}{\partial x_1^{k_1} \dots \partial x_n^{k_n}}, \quad s^k = s_1^{k_1} \dots s_n^{k_n}, \quad s = \sigma + i\gamma, \quad z = x + iy, \quad q = \frac{2b}{2b-1}$

Estimates of solutions are given and also their application to the investigation of Cauchy's problem for linear and nonlinear parabolic systems, their analyticity, smoothness, stability, and their extension to a neighborhood of singular points. Chapter 1 deals with the construction of the fundamental solution matrices. It is assumed that the coefficients of (1) depend only on  $t$ . Corresponding to (1) the system of ordinary differential equations is studied:

$$\frac{d^{n_i} v_i}{dt^{n_i}} = \sum_{2b k_0 + |k| \leq 2b n_i} A_{ij}^{(k_0, k)}(t) (i\sigma)^k \frac{d^{k_0} v_j}{dt^{k_0}} \quad (i = 1, 2, \dots, N). \quad (2)$$

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Let

$$V(t, \tau, s) = \|v_j^{(t)}(t, \tau, s)\|_{i,j=1}^N$$

be the matrix whose columns are solutions of (2) with initial conditions:

$$\frac{d^k v_j^{(t)}}{dt^k} \Big|_{t=\tau} = \delta_{j1} \delta_{k_0 n_{j-1}} \quad (k_0 = 0, 1, \dots, n_j - 1, \quad j = 1, 2, \dots, N)$$

where  $\delta_{1j}$  is the Kroenecker delta. The Fourier transform of  $V(t, \tau', s)$  is the Green's matrix  $G(t, \tau', x)$  of (2):

$$G_j^{(t)}(t, \tau, x) = (2\pi)^n \int e^{i(x, \sigma)} V_j^{(t)}(t, \tau, \sigma) d\sigma.$$

For the Green's matrix of system (1) the following estimate is given:

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$$\left| \frac{\partial^{h_0}}{\partial t^{h_0}} D_x^h G^{(0)}(t, \tau, z) \right| \leq C_{h_0, h} (t - \tau)^{n_1 - h_0 - 1 - \frac{h_0 + n}{2h}} \exp \left\{ \left( -c \sum_{i=1}^n |x_i|^q + \right. \right. \\ \left. \left. + d \sum_{i=1}^n |y_i|^q \right) (t - \tau)^{-\frac{1}{2h-1}} \right\}, \quad h_0 = 0, 1, \dots, n; |h| = 0, 1, \dots; \\ z_i = x_i + iy_i; \{ -\infty < x_i < \infty, s = 1, 2, \dots, n; 0 < t \leq T \} \text{ II. T.} \quad (3)$$

where  $C_{h_0, h}$ ,  $d$  are positive constants depending only on  $T$ ,  $c > 0$ . These estimates permit the construction of fundamental matrices by E. E. Levi's method (S. D. Eydel'man, On Cauchy's problem for parabolic systems, DAN 98 Nr 6, 913-915 (1954); S. D. Eydel'man, On Fundamental solutions of parabolic systems, Mat. sb. 38 (80): 1 (1956) 51-92; S. D. Eydel'man, Liouville theorems and stability theorems for solutions of parabolic systems, Mat. sb. 44 (86) : 2 (1958) 481-508). These matrices have properties important in applications; i.e., if  $n_1 = n_2 = \dots = n_N$  then the

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Investigations in the Theory of Parabolic Systems (Doctor's Dissertation)

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system adjoint to (1) is also parabolic. Chapter 2 investigates Cauchy's problem for linear and nonlinear parabolic systems:

$$\frac{\partial^m u_i}{\partial t^m} = \sum_{j=1}^N \sum_{2bk_0 + |k| \leq 2bm_j} A^{(k,0)}_{ij}(x, t) \frac{\partial^{k_0}}{\partial t^{k_0}} D^k u_j + F_i \left( t, u, \dots, \frac{\partial^{k_0}}{\partial t^{k_0}} D^k u_j, \dots \right), \quad \left. \right\} (6)$$

$2bk_0 + |k| \leq m_j \leq 2bm_j - 1,$

where  $F_i$  is in general nonlinear. For the system

$$\frac{\partial^m u_i}{\partial t^m} = F_i \left( t, x, u, \dots, \frac{\partial^{k_0}}{\partial t^{k_0}} D^k u_j, \dots \right) \quad \left. \right\} \quad (8)$$

$(i = 1, 2, \dots, N), \quad 2bk_0 + |k| \leq 2bm_j$

The Cauchy problem is studied in the class of sufficiently smooth, bounded functions. S. D. Eydelen's problem for linear and nonlinear parabolic systems, DAN 115, No 2, 930-932 (1957). Chapter 3 is devoted to the study of properties of regular solutions of

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Investigations in the Theory of Parabolic  
Systems (Doctor's Dissertation)

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linear parabolic systems. In appendix 1 of the thesis, S. D. Eydel'man, Integral maximum principle for strongly parabolic systems and some of its applications, Izd. vyssh. ucheb. zaved, Mat., Nr 2 (1959) 252-258, a maximum principle is given for strongly parabolic systems permitting an easy proof of the uniqueness and stability for mixed problems in infinite domains, and the Cauchy problem in the class of rapidly growing functions. The results of the dissertation are given in the following 15 references: S. D. Eydel'man: On Cauchy problem for parabolic systems, DAN 98 Nr 6, (1954), 913-915; Liouville-type theorems for parabolic and elliptic systems, DAN 99 Nr 5 (1954), 681-684; On the analyticity of solutions of parabolic systems, DAN 103 Nr 1 (1955), 27-30; Some theorems on stability of solutions of parabolic systems, DAN 115 Nr 2 (1957), 253-255; On Cauchy's problem for nonlinear and quasilinear parabolic systems, DAN 116 Nr 6 (1957), 930-932; On the behavior of the solution of the heat equation in the neighborhood of a singular point, Usp. Mat. Nauk XI Nr 3 (1956).

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Investigations in the Theory of Parabolic  
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207-210; On some properties of solutions of parabolic systems Ukr. mat. journ 8, Nr 2 (1956),  
191-207; On fundamental solutions of parabolic systems Matem. sb. 38 (80) : 1 (1956), 51-92; On regular and parabolic systems of partial differential equations, Usp. Mat. Nauk Nr 1 (1957), 254-257; On method of fundamental solutions in the theory of parabolic systems, Works III all-union math. conf. Vol 1 (1956), 72-73; Fundamental matrices of solutions of general parabolic systems, DAN 120, Nr 5 (1958), 480-483; On a class of regular systems of partial differential equations, Usp. mat. nauk Xlll Nr 4 (1958), 205-209. Integral maximum principle for strongly parabolic systems and some of its applications Tsv. vyssh. ucheb. zaved., Matem Nr 2 (1959), 252-258; On the behavior of solutions of parabolic systems in the neighborhood of a singular point DAN 125, Nr 4 (1959), 743-745; Liouville theorems and stability theorems for solutions of parabolic systems Matem. sb. 44 (86) : 2 (1958) 481-508. There are 17 Soviet references.

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